

TESTING OF PPP SOLUTION AIDED WITH ENHANCED ALGORITHMS OF INTEGER AMBIGUITY RESOLUTION

ION GNSS+ 2019, Miami, Florida

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Pedro Roldán, Guillermo Tobías, Lucía Tomaino

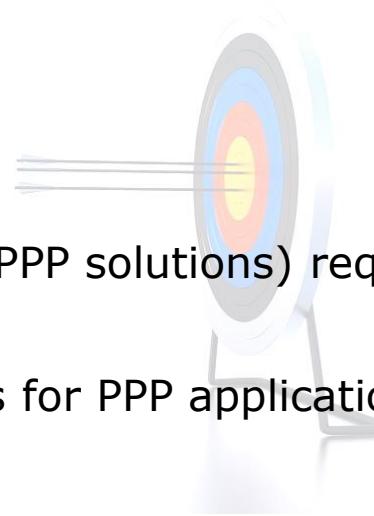
GMV, Spain

CONTEXT

Why Integer Ambiguity Resolution (IAR)?

New applications (e.g. very precise orbits and clocks for PPP solutions) requiring better accuracy

Convergence requirements on the order of a few seconds for PPP applications



Advantages

- Better accuracy
- Improved convergence time (cold and hot) for PPP applications

Difficulties

- Management of biases
- Risk of wrong ambiguity fixing
- Best results used together with regional information

TAR

POSITIONING ALGORITHMS

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WHY IAR?

Code $R = RX + TR + \rho + I + w + \epsilon$

Phase $\lambda \cdot \varphi = RX + TR + \rho - I + \lambda \cdot N + w + \epsilon$

- λ is the associated wavelength
- RX, TR are the receiver and satellite hardware delays
- ρ is the pseudorange, including geometric distance, clock biases, tropospheric and relativistic corrections, common to all the frequencies and to the code measurements
- I is the ionospheric delay
- N is the integer ambiguity
- w is the phase wind-up correction
- ϵ is the measurement noise, including the multipath contribution

WHY IAR?

Code

$$R = RX + TR + \rho + I + w + \epsilon$$

Phase

$$\lambda \cdot \varphi = RX + TR + \rho - I + \lambda \cdot N + w + \epsilon$$



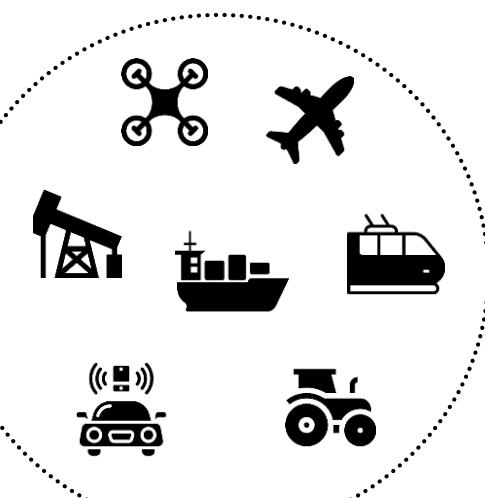
Low Noise
~~~~~

Needs proper estimation of ambiguities



Centimetric Accuracy

Precise Point Positioning



- $\lambda$  is the associated wavelength
- $RX, TR$  are the receiver and satellite hardware delays
- $\rho$  is the pseudorange, including geometric distance, clock biases, tropospheric and relativistic corrections, common to all the frequencies and to the code measurements
- $I$  is the ionospheric delay
- $N$  is the integer ambiguity
- $w$  is the phase wind-up correction
- $\epsilon$  is the measurement noise, including the multipath contribution

# WHY IAR?

**Code**       $R = RX + TR + \rho + I + w + \epsilon$

**Phase**     $\lambda \cdot \varphi = RX + TR + \rho - I + \lambda \cdot N + w + \epsilon$

↓

Low Noise

Centimetric Accuracy

↓

Precise Point Positioning

Needs proper estimation of ambiguities

How?

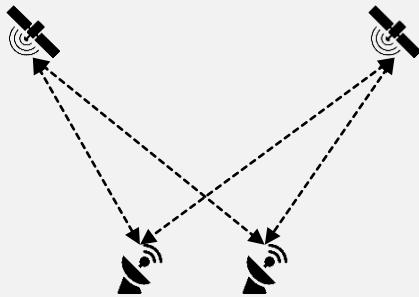
Integer Ambiguity Resolution

- $\lambda$  is the associated wavelength
- $RX, TR$  are the receiver and satellite hardware delays
- $\rho$  is the pseudorange, including geometric distance, clock biases, tropospheric and relativistic corrections, common to all the frequencies and to the code measurements
- $I$  is the ionospheric delay
- $N$  is the integer ambiguity
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- $\epsilon$  is the measurement noise, including the multipath contribution

# PRECISE POSITIONING WITH IAR

SERVER SIDE

Orbits and  
Clocks  
Estimation



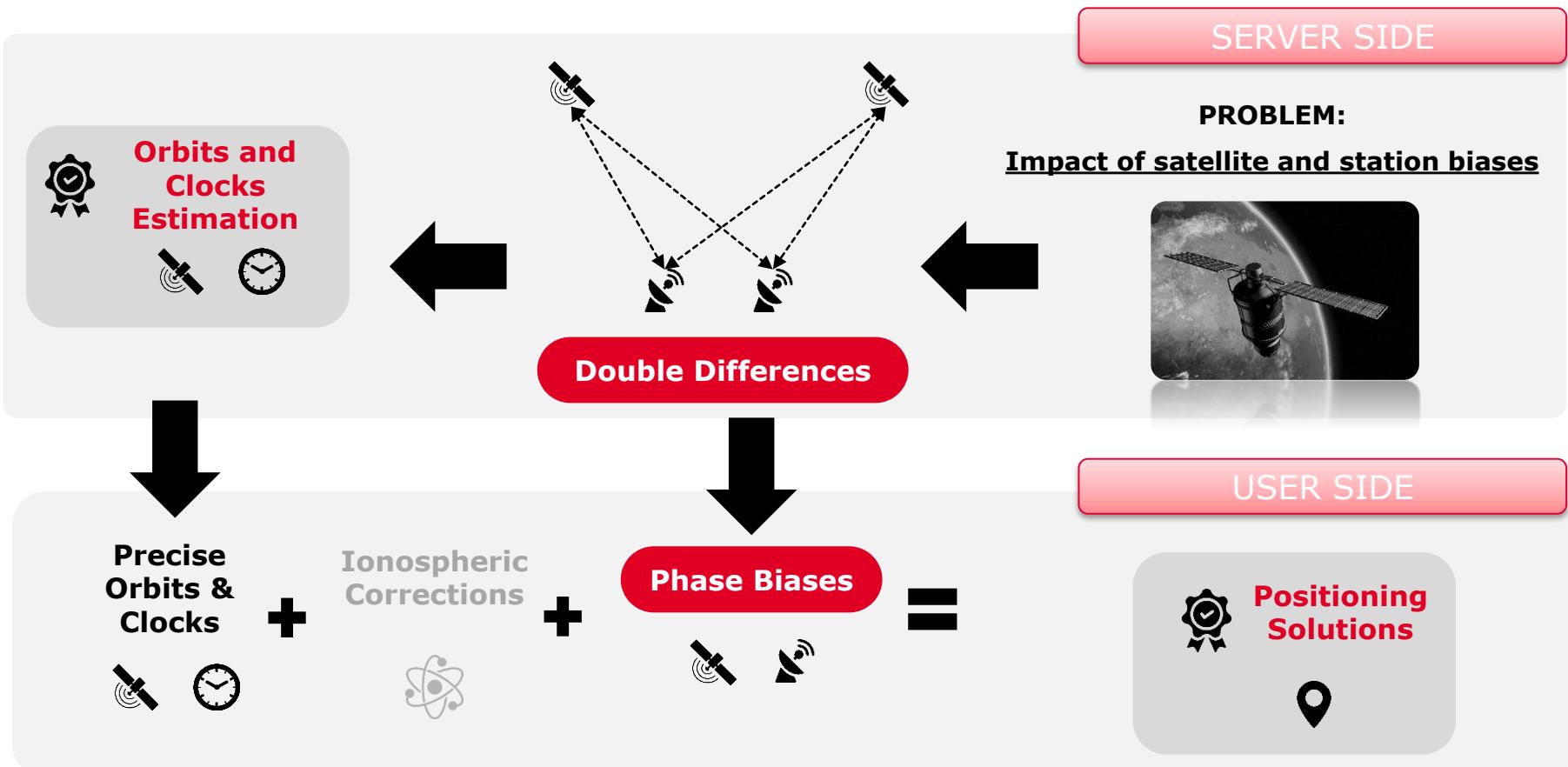
Double Differences

PROBLEM:

Impact of satellite and station biases



# PRECISE POSITIONING WITH IAR



# IAR ALGORITHMS

Corrections Service

Phase Biases



Kalman Filter

FLOAT

WIDE-LANE  
ambiguities



FLOAT

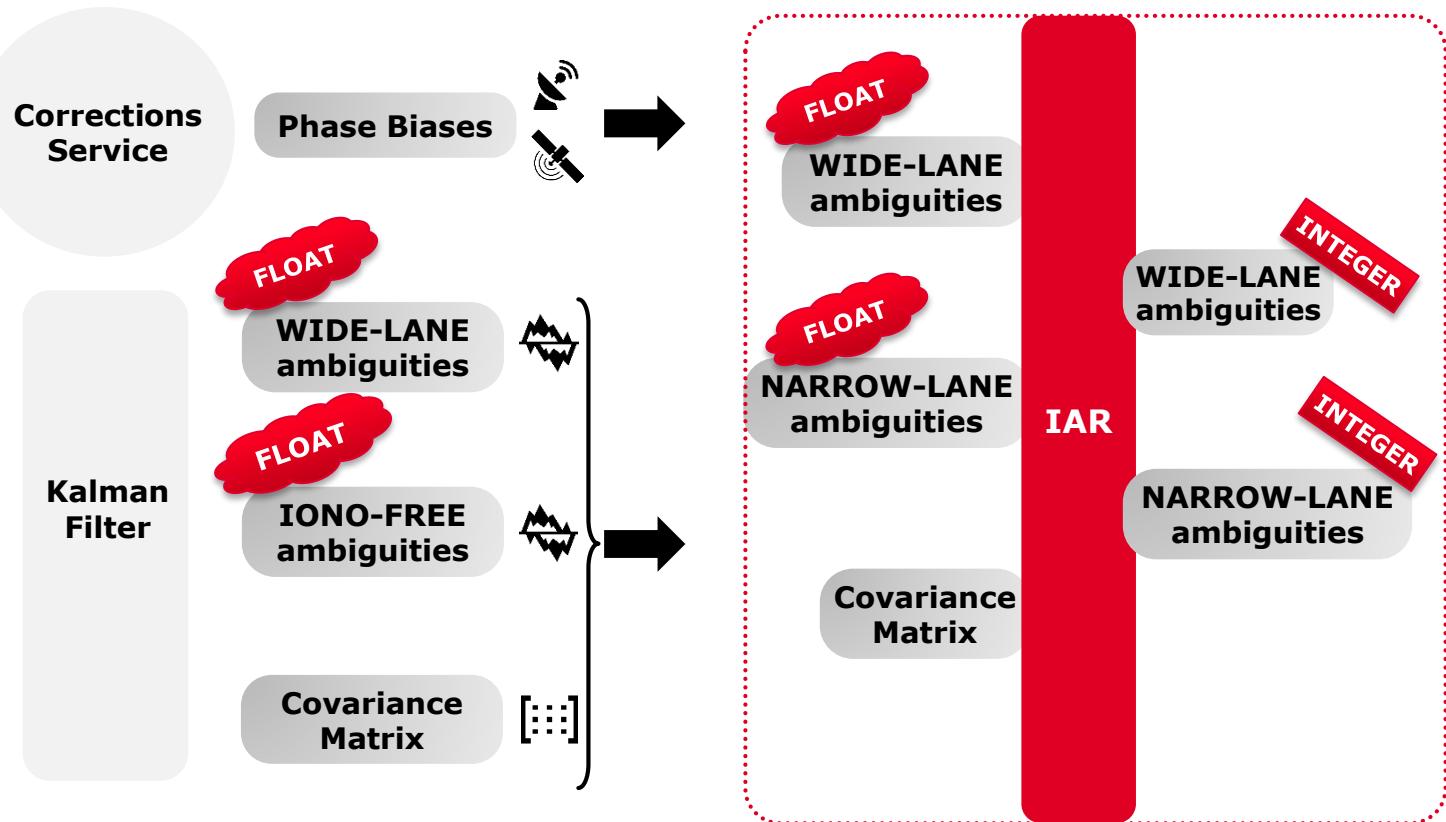
IONO-FREE  
ambiguities



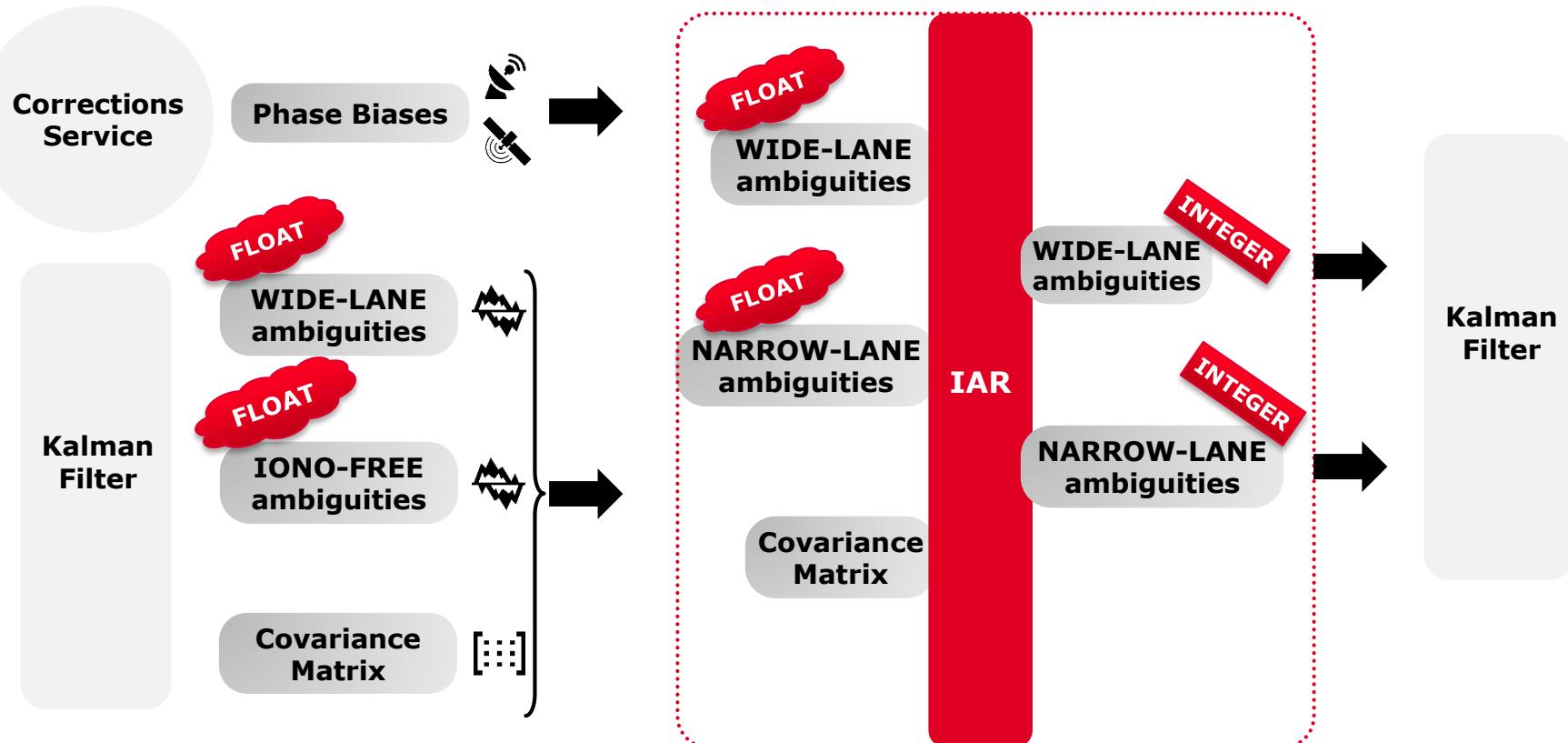
Covariance Matrix



# IAR ALGORITHMS



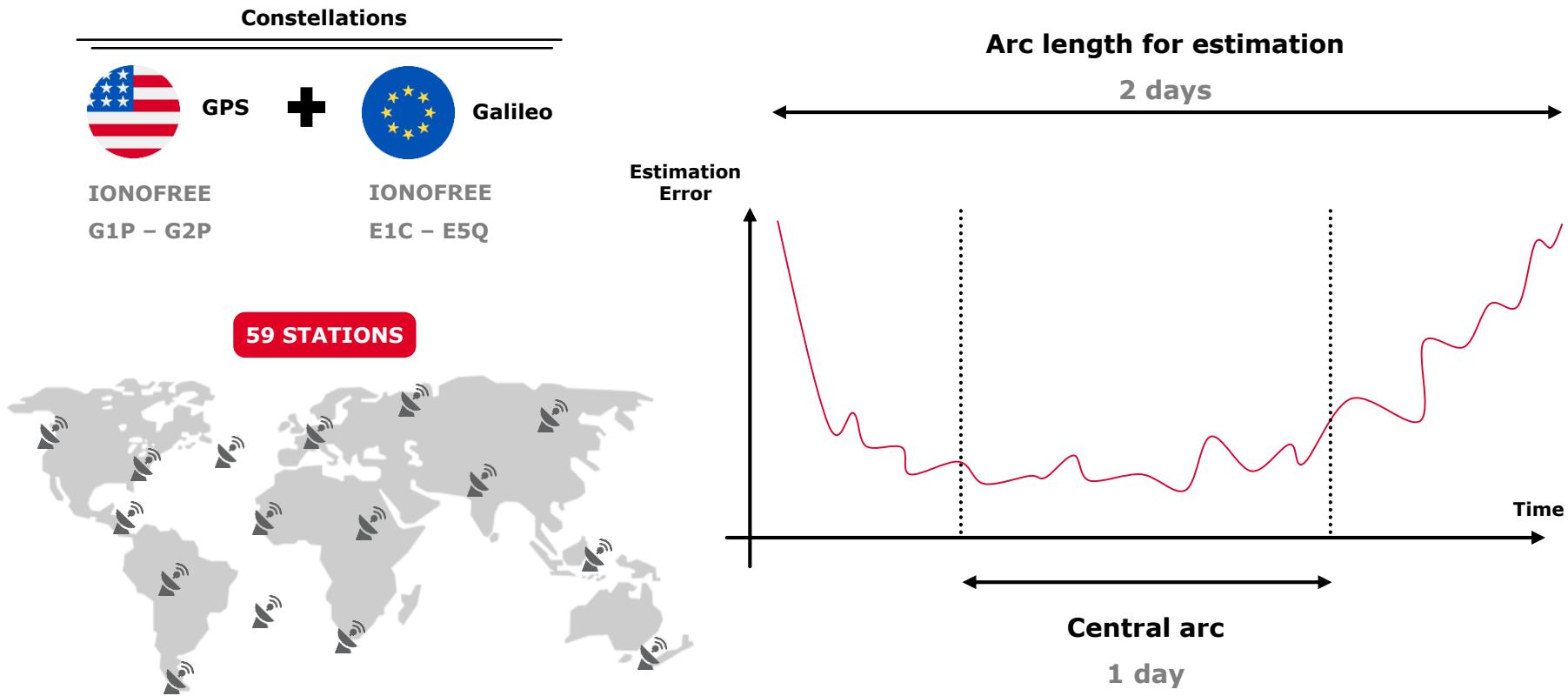
# IAR ALGORITHMS



# PERFORMANCES ORBITS AND CLOCKS

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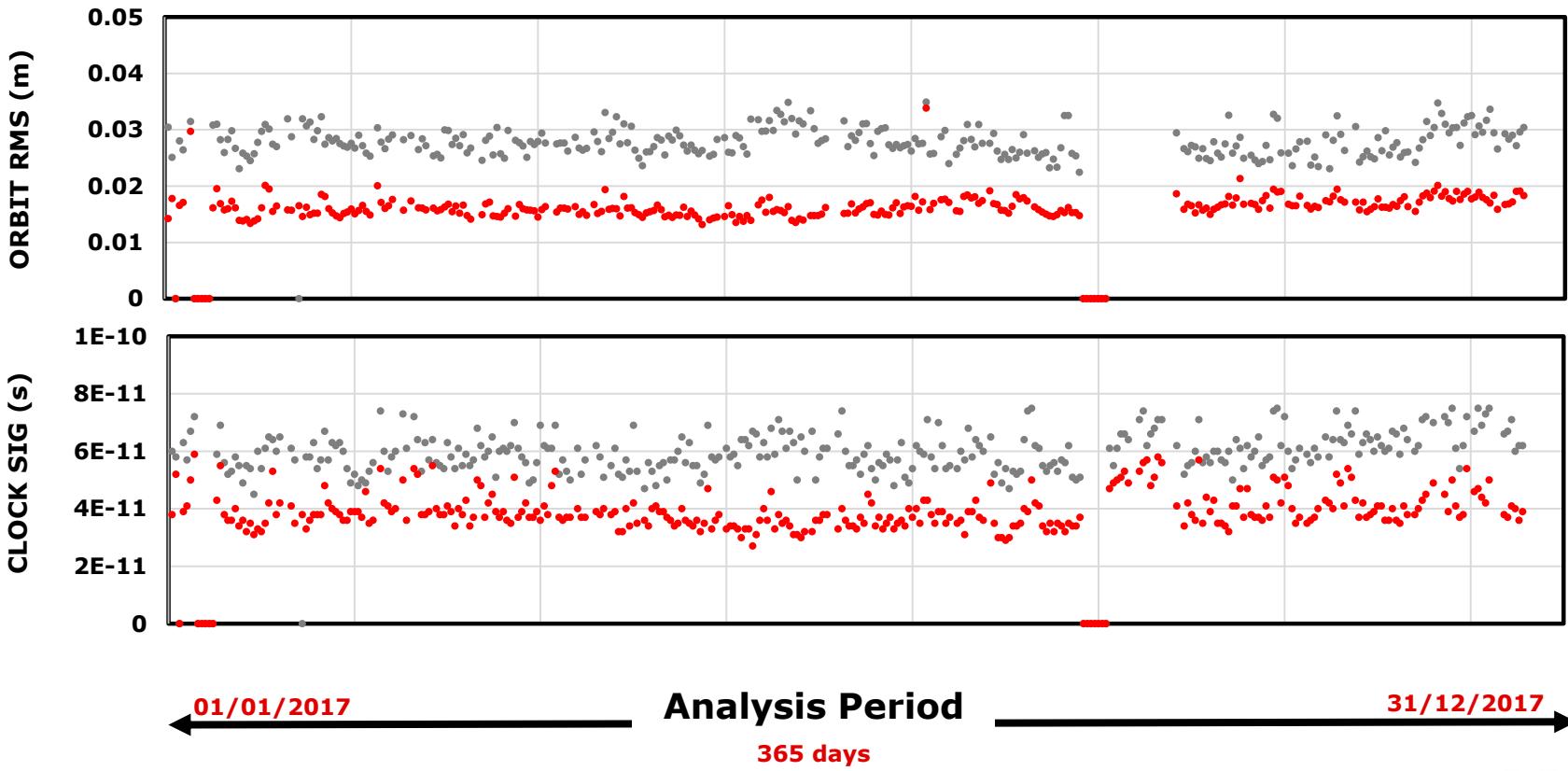
# OFFLINE ODTs ANALYSIS CHARACTERIZATION



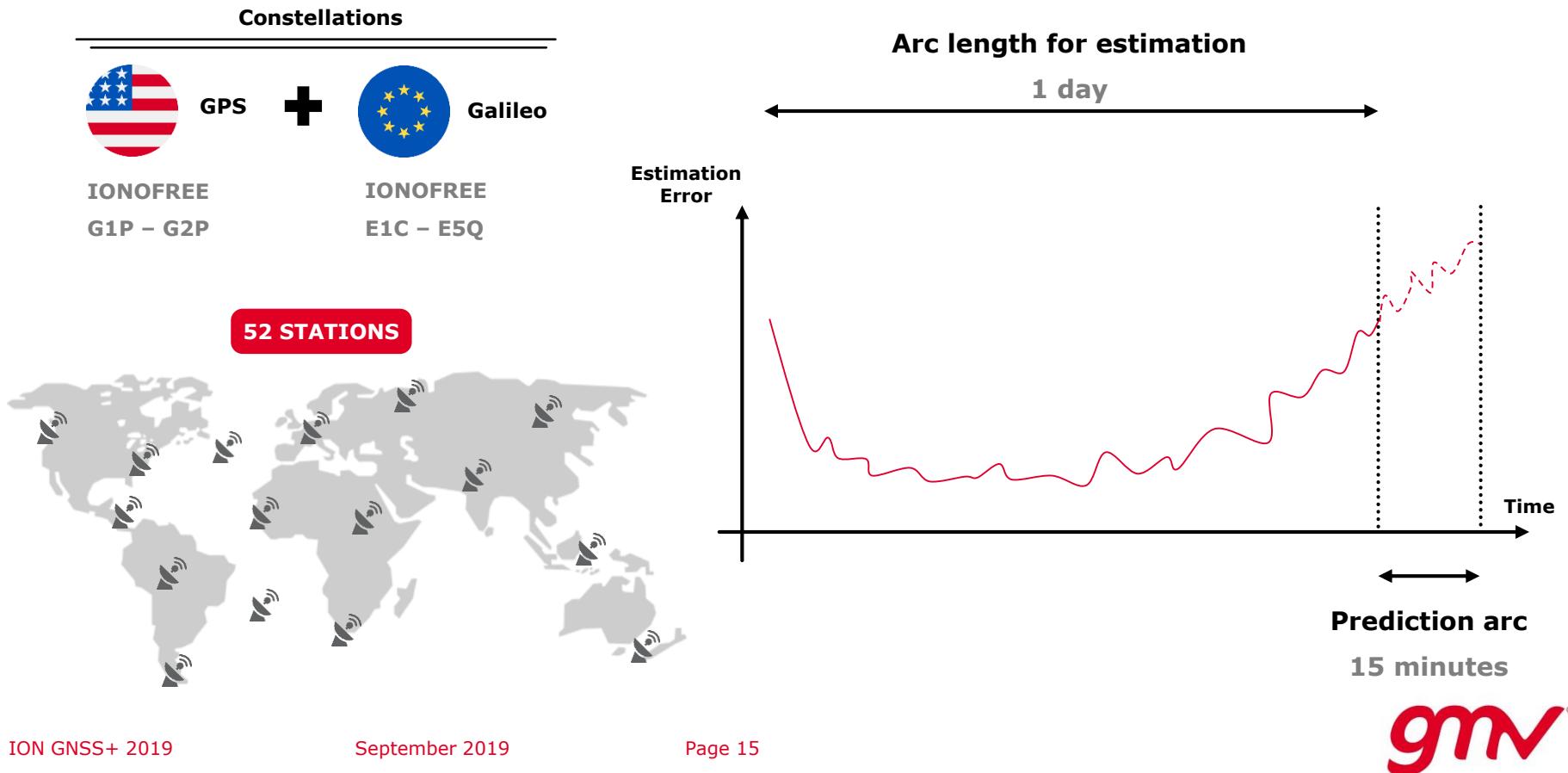
# OFFLINE ODTS RESULTS

IAR APPLIED TO ORBIT AND CLOCK ESTIMATION

NO IAR ·  
IAR ·



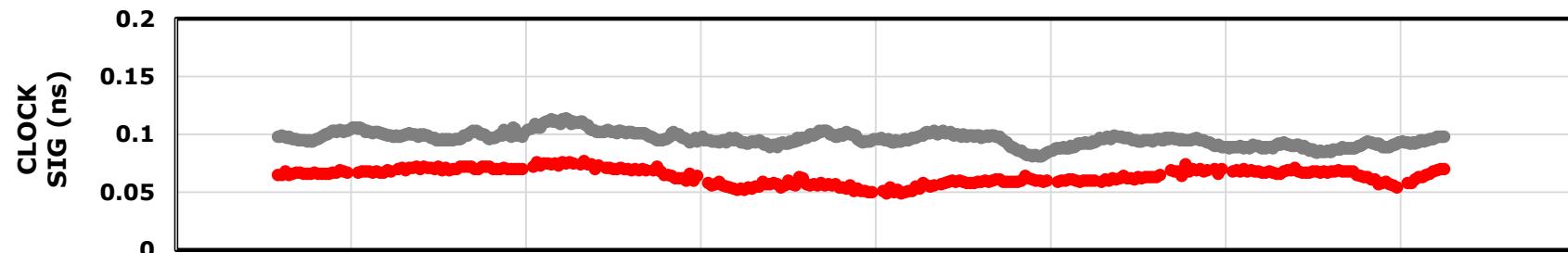
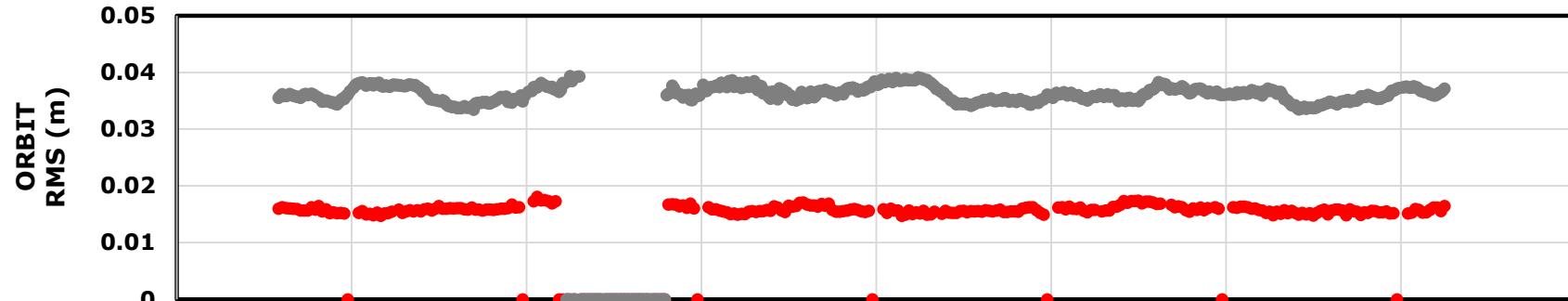
# REAL-TIME ODTD ANALYSIS CHARACTERIZATION



# REAL-TIME ODTS RESULTS

IAR APPLIED TO ORBIT AND CLOCK ESTIMATION

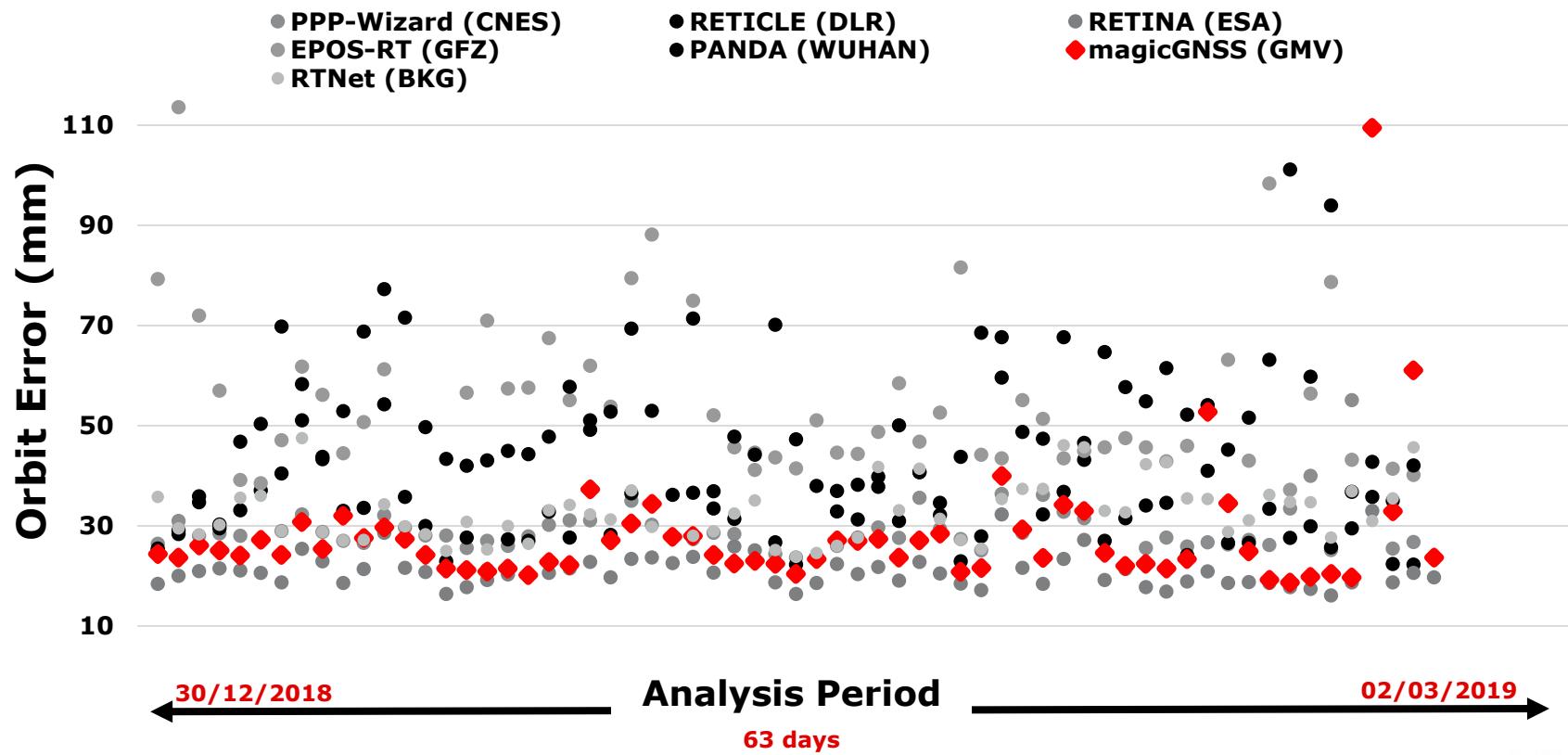
NO IAR ·  
IAR ·



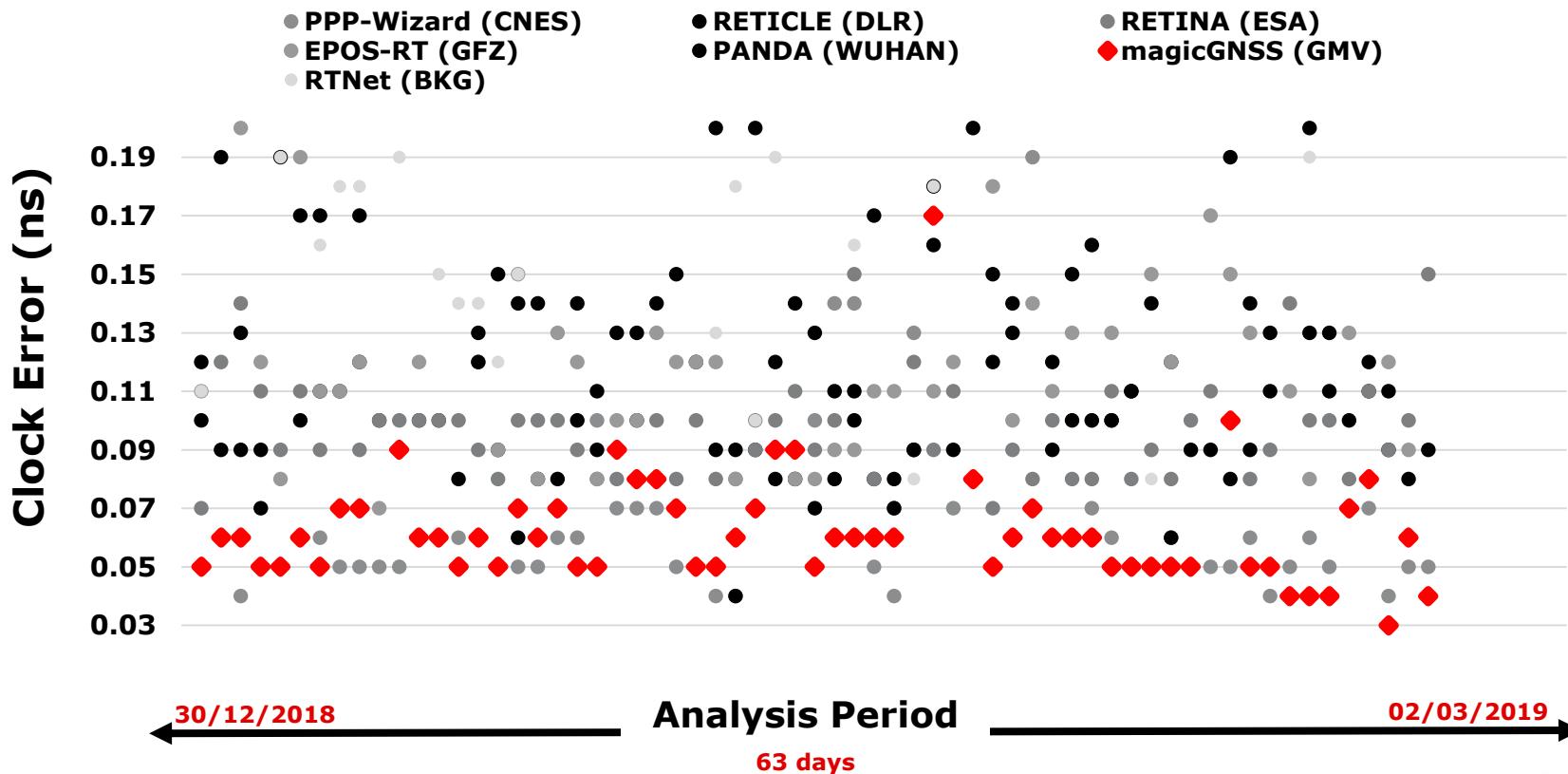
16/08/2018                          Analysis Period                          22/08/2018  
7 days

# COMPARISON ORBITS AND CLOCKS

# REAL-TIME ODTS COMPARISON WITH OTHER REFERENCE CENTERS



# REAL-TIME ODTS COMPARISON WITH OTHER REFERENCE CENTERS



KINEMATIC SCENARIOS

OPEN SKY

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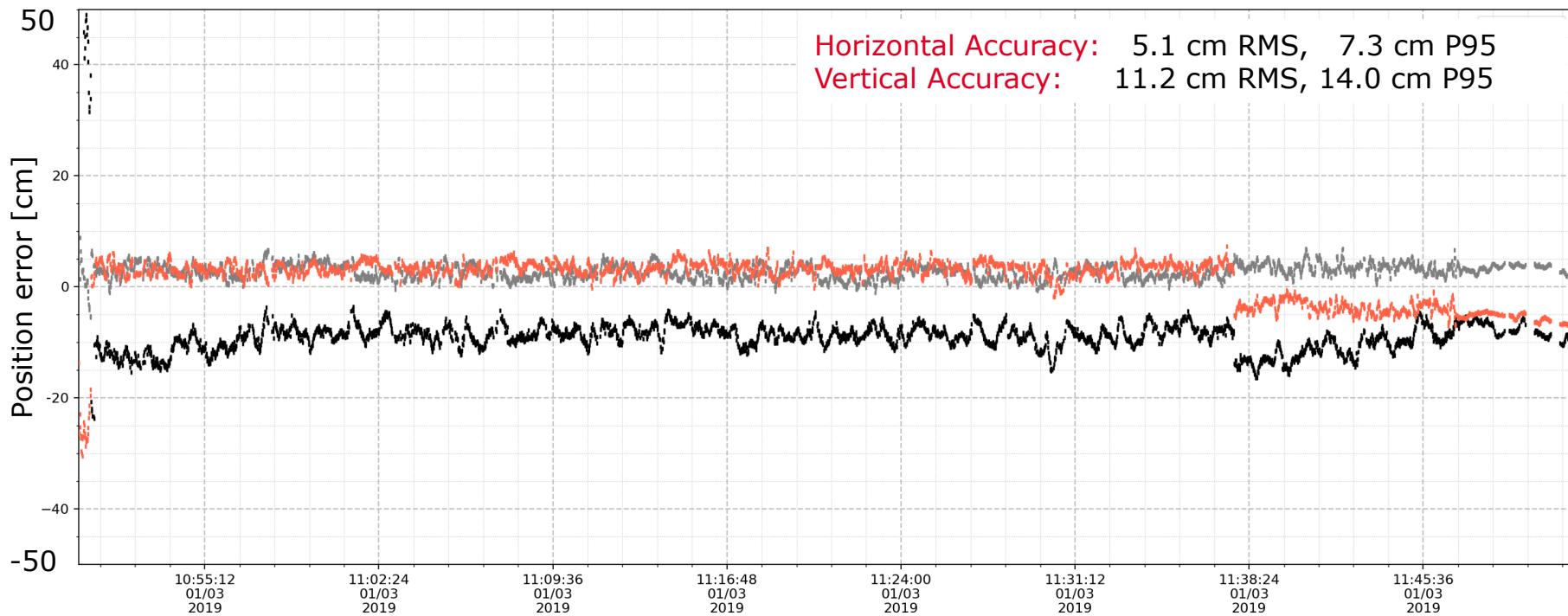
# OPEN SKY SCENARIOS

| Equipment | Type | Algorithms                 |
|-----------|------|----------------------------|
| High-End  | OS   | Regional Corrections + IAR |

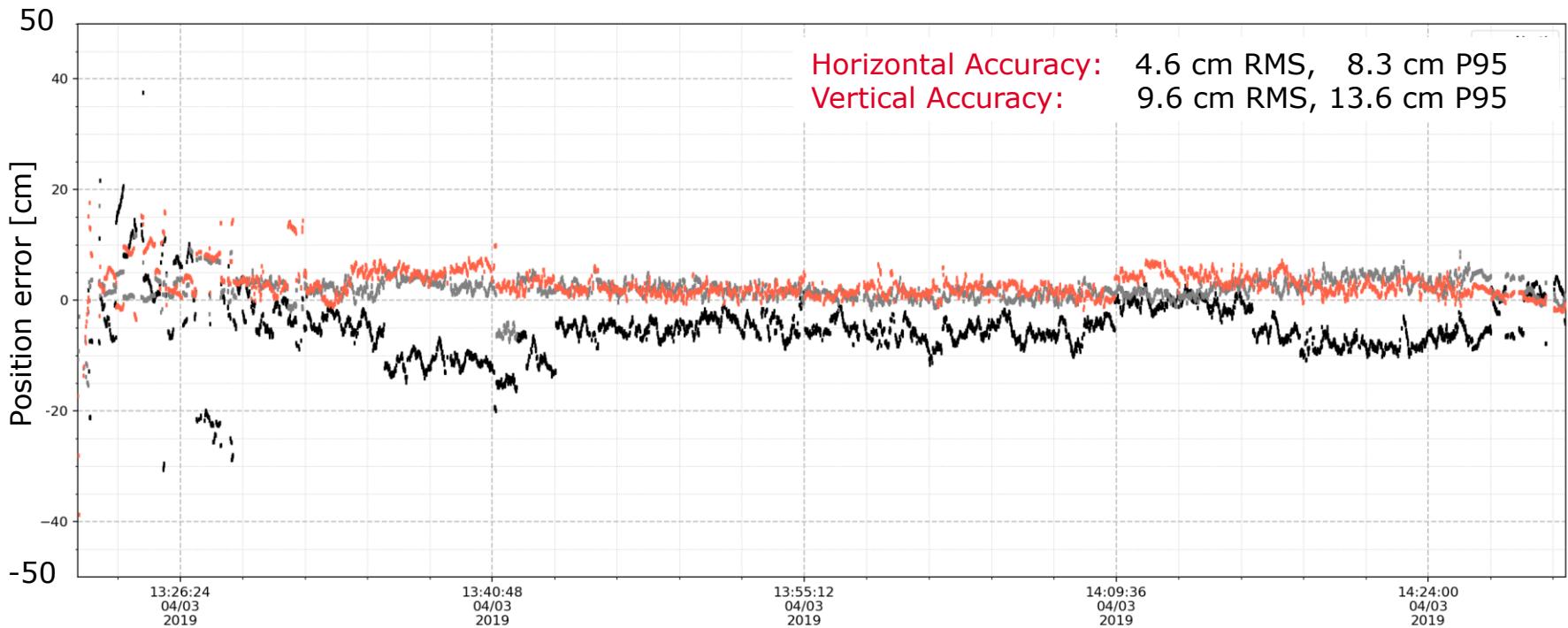


Tres Cantos, Madrid

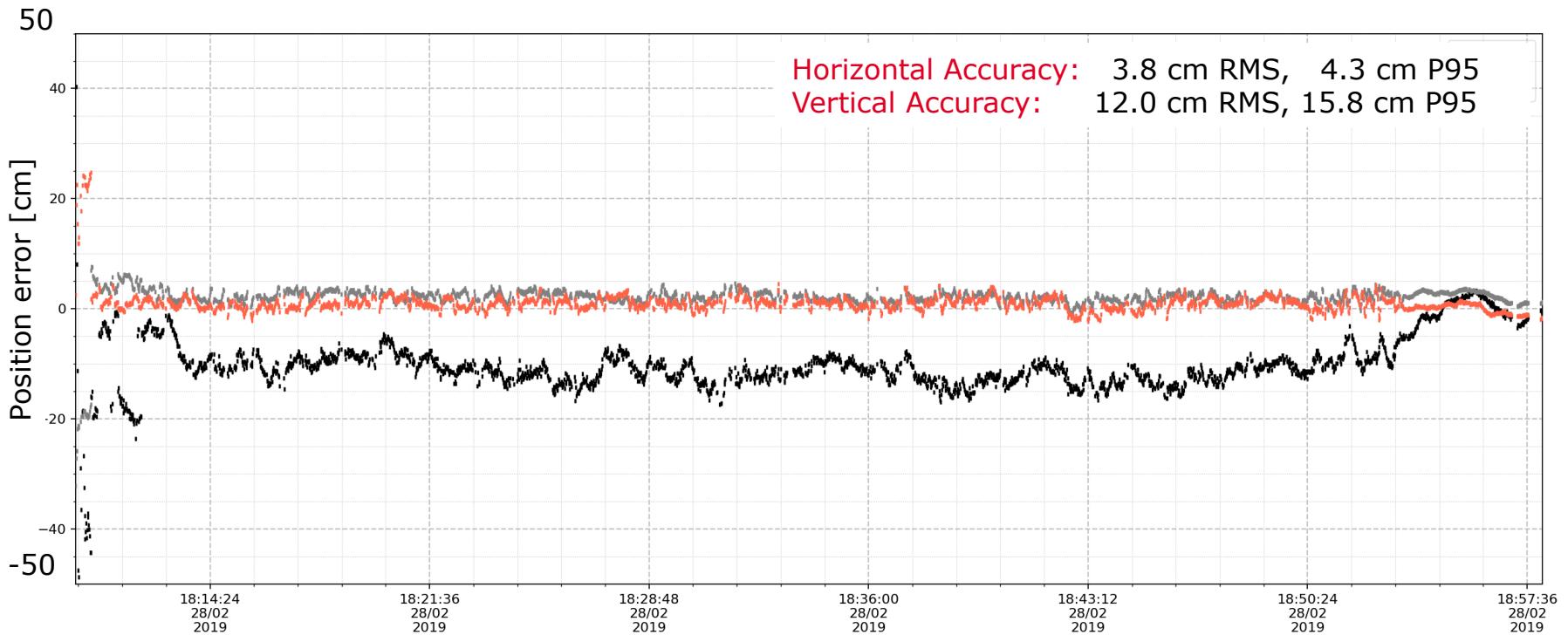
# HIGH-END OPEN SKY PERFORMANCES #1



# HIGH-END OPEN SKY PERFORMANCES #2



# HIGH-END OPEN SKY PERFORMANCES #3

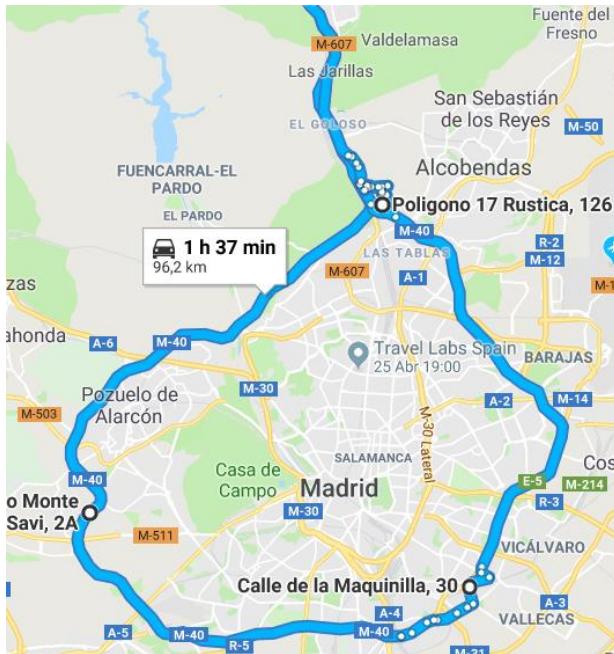


KINEMATIC SCENARIOS

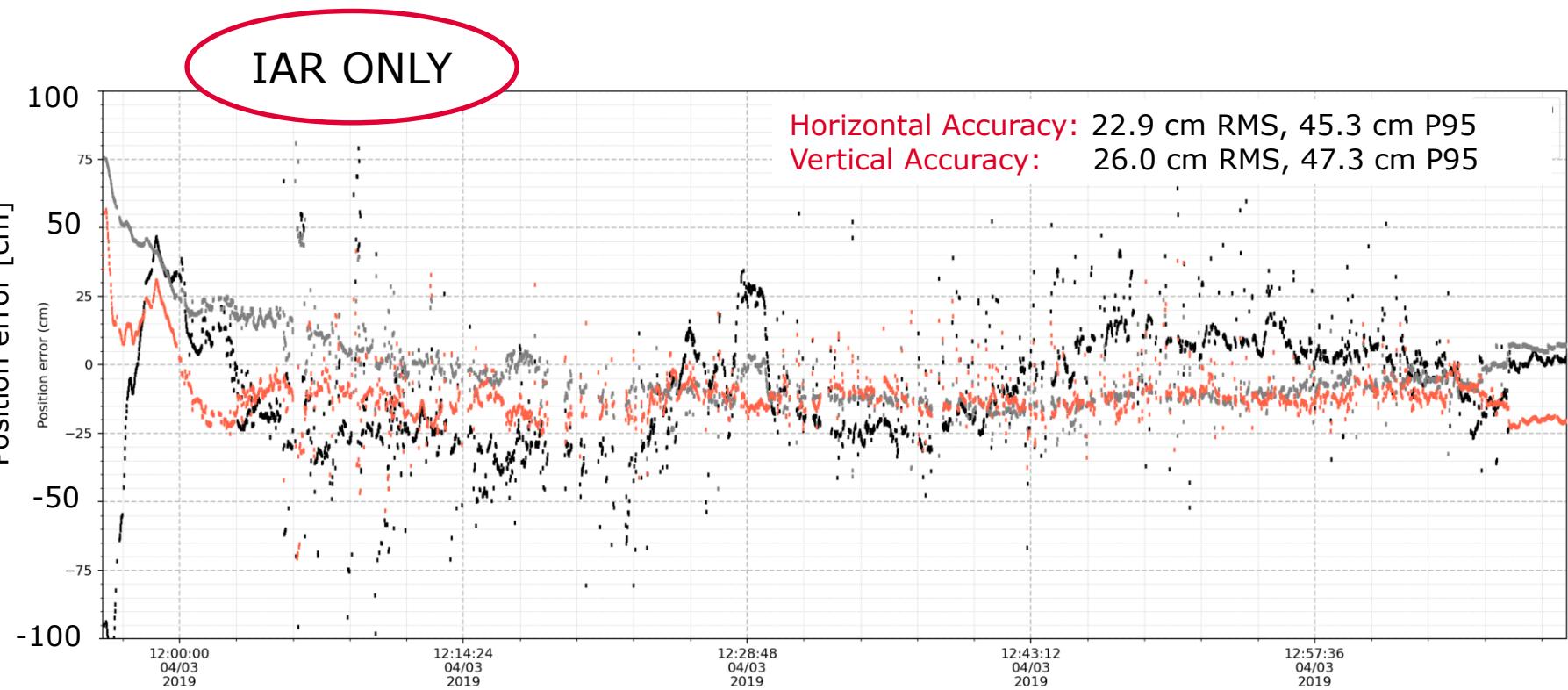
# HIGHWAY

# HIGHWAY SCENARIO

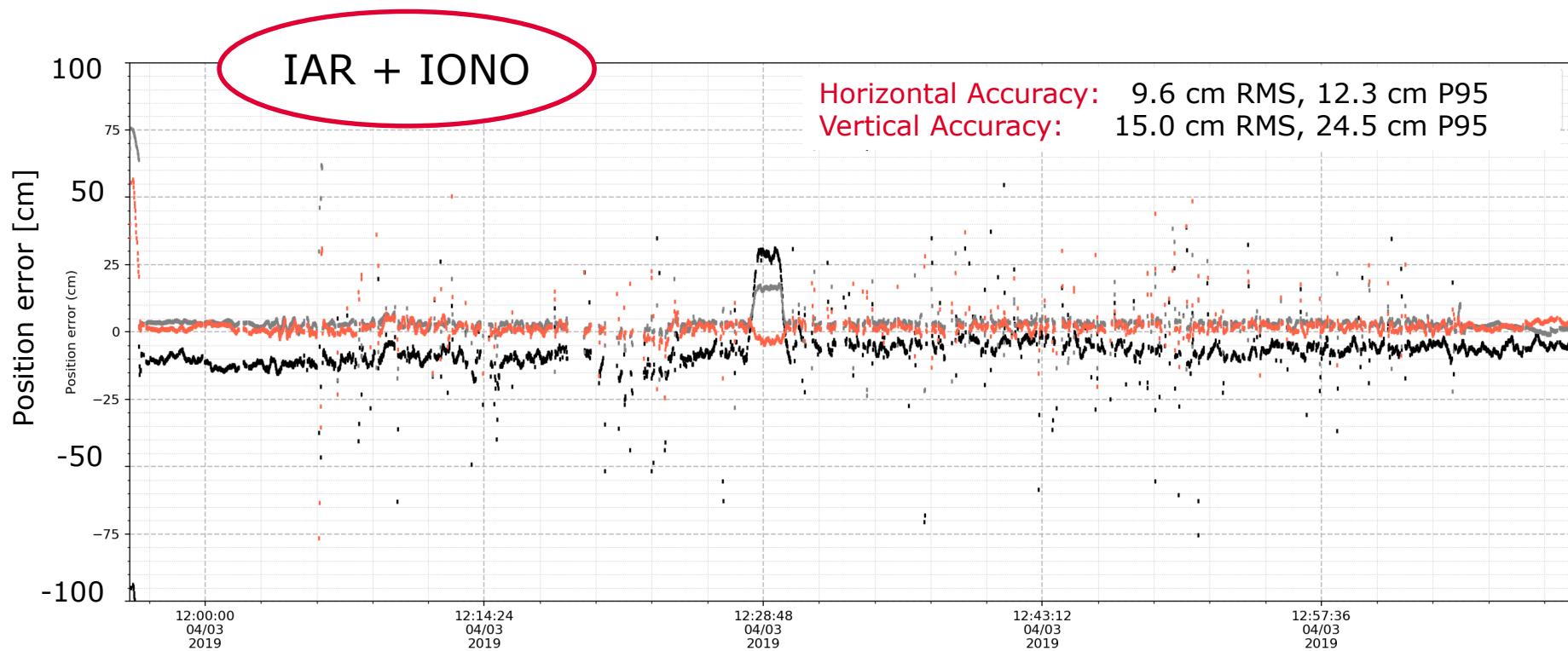
- Circular highway in Madrid (M40)
  - High multipath
  - Multiple overpasses
  - Max speed 100km/h
  - Medium-High level traffic during whole day
  - Considered worst use case



# HIGH-END SUBURBAN HIGHWAY PERFORMANCES



# HIGH-END SUBURBAN HIGHWAY PERFORMANCES





# THANK YOU